Archival Report

Using Computational Modeling to Capture Schizophrenia-Specific Reinforcement Learning Differences and Their Implications on Patient Classification

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ABSTRACT

BACKGROUND: Psychiatric diagnosis and treatment have historically taken a symptom-based approach, with less attention on identifying underlying symptom-producing mechanisms. Recent efforts have illuminated the extent to which different underlying circuitry can produce phenotypically similar symptomatology (e.g., psychosis in bipolar disorder vs. schizophrenia). Computational modeling makes it possible to identify and mathematically differentiate behaviorally unobservable, specific reinforcement learning differences in patients with schizophrenia versus other disorders, likely owing to a higher reliance on prediction error–driven learning associated with basal ganglia and underreliance on explicit value representations associated with orbitofrontal cortex.

METHODS: We used a well-established probabilistic reinforcement learning task to replicate those findings in individuals with schizophrenia both on \( n = 120 \) and off \( n = 44 \) antipsychotic medications and included a patient comparison group of bipolar patients with psychosis \( n = 60 \) and healthy control subjects \( n = 72 \).

RESULTS: Using accuracy, there was a main effect of group \( \left( F_{3,279} = 7.87, p < .001 \right) \), such that all patient groups were less accurate than control subjects. Using computationally derived parameters, both medicated and unmedicated individuals with schizophrenia, but not patients with bipolar disorder, demonstrated a reduced mixing parameter \( \left( F_{3,295} = 13.91, p < .001 \right) \), indicating less dependence on learning explicit value representations as well as greater learning decay between training and test \( \left( F_{1,289} = 12.81, p < .001 \right) \). Unmedicated patients with schizophrenia also showed greater decision noise \( \left( F_{3,295} = 2.67, p = .04 \right) \).

CONCLUSIONS: Both medicated and unmedicated patients showed overreliance on prediction error–driven learning as well as significantly higher noise and value-related memory decay, compared with the healthy control subjects and the patients with bipolar disorder. Additionally, the computational model parameters capturing these processes can significantly improve patient/control classification, potentially providing useful diagnosis insight.

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Schizophrenia (SZ) is a complex disorder comprising different classes of symptoms (positive: delusions, hallucinations; negative: lack of motivation, anhedonia) and associated cognitive deficits in learning, memory, and decision making \( (1–3) \). The heterogeneity in clinical presentation is so marked that the disease has been proposed to be not a singular disorder but a constellation of disorders sharing phenotypic features \( (4) \). The specific mechanisms underlying different symptom classes are as yet unclear, and the complexity of the disease leaves etiology, diagnosis, and outcome measurements challenging—particularly given the symptom overlap with other disorders, such as major depressive disorder [also characterized by motivation deficits \( (5) \)] or bipolar disorder (which can express with psychosis). Further, it is often difficult to differentiate behavioral deficits across disorders on a variety of cognitive tasks \( (6,7) \).

Recently, computational psychiatry has emerged as a bridge between clinical and theory-driven approaches, using computational methods to classify and uncover patterns not observable from descriptive statistics and other conventional analysis approaches \( (8) \). For example, machine-learning algorithms have been tested on their ability to classify patients with SZ from healthy control subjects (HCs) \( (9) \). Computational modeling can identify distinct underlying mechanisms that produce similar observable behaviors [for instance, distinguishing among sources of decision noise—motor noise, random exploration, or directed exploration—that produce similar error responses but rely on different processes \( (10) \), making it a useful tool for distinguishing subtle differences in the causes of or the way symptoms and deficits interact in SZ compared with other disorders.
Ample empirical and computational work on schizophrenia has focused dopamine circuitry abnormalities as a key mechanism underlying the disorder. Dopamine has been linked to both positive and negative SZ symptoms (11), with irregular dopamine release hypothesized to ascribe undue salience to irrelevant stimuli (leading, for instance, to the formation of delusions). Disrupted dopamine function has also been hypothesized to prevent appropriate learning from reward feedback, potentially causing negative symptoms (12). Although findings on specific domains (gains/losses) and impairment severity have been mixed (13), convincing evidence shows decreased ability for rapid behavioral adjustments [for instance, in extradimensional/intradimensional set-shifting tasks (14)] as well as impaired explicit value representations (explicit knowledge about specific benefits, such as monetary reward, of different choice options) to guide decision making (15,16). Performance impairments in gradual, trial-by-trial learning have been more subtle, with evidence for spared prediction error (PE)-based learning (17) but differences in the ability to use PEs in positive-feedback (gain) and negative-feedback (loss) domains [an asymmetry specifically linked to high negative symptoms (18)].

Recent work explains these deficits as dysfunctions in frontostriatal circuitry, specifically in the interaction of two systems involved in value representation and reinforcement learning (RL): the orbitofrontal cortex (OFC), involved in mapping expected values and updating representations in response to feedback, and the basal ganglia (BG), involved in PE computations (13,16). This interaction dictates the amount to which decisions rely on explicit value representations (e.g., context-independent representations of the estimated reward associated with a stimulus) versus PE-based representations (e.g., context-dependent estimations of which stimulus provides more reward).

Using a probabilistic reward task and a computational model that allowed differentiating (OFC-driven) stimulus value representation from (BG-driven) PE-based action selection, Gold et al. (3) showed that SZ patients with high negative symptoms relied more heavily than HCs and patients with low negative symptoms on learning which actions avoided punishment but had difficulty representing positive expected values to guide novel choices. However, all patients in the study were on antipsychotic medication, leaving open the question of how/whether treatment [known to impact trial-by-trial learning via D2 blockade (19)] might shift the learning strategy.

The present study aimed to replicate these findings and test whether they hold in unmedicated patients and to examine to what extent medication impacts not only performance but also the underlying learning strategies. In the previous work above, RL-related effects were linked largely to negative symptoms [potentially because of motivational/reward sensitivity effects, as well as the fact that the standard antipsychotic medication asymmetrally impacts positive more than negative symptoms (20)]. We therefore also focused analyses on the negative symptom spectrum. We expected to find similar effects to Gold et al. (3) on deficits in explicit value representation, which we believe is as SZ-specific impairment driven by abnormalities in the interaction of the OFC-based and BG-based computations. To test this, we recruited a sample of patients with bipolar disorder (BD), who share some symptoms and cognitive deficits of SZ patients [such as impaired behavioral adjustments following changes in outcome contingencies (21) believed to also rely on reward processing abnormalities] but do not show similar RL impairments (22).

We employed computational modeling to gain further insight into underlying RL strategies and impairments and uncovered individual-specific parameters coding for learning, value representation, reward sensitivity, and decision noise. To test whether model-based differences reliably inform SZ-specific deficits, we compared how model parameters affected classification (compared with model-free measures) between patients and HCs and between different patient groups.

**METHODS AND MATERIALS**

**Participants and Clinical Assessment**

Participants for the study were recruited as part of the Cognitive Neuroscience Test Reliability And Clinical Applications for Schizophrenia (CNTRACS) Consortium, which included five research sites (see the Supplement for details). Recruiting and informed consent procedures for each site were approved by each site’s institutional review board.

A masters-level clinician conducted or supervised diagnostic assessments that included the Structured Clinical Interview for DSM-IV-TR (23), 24-item Brief Psychiatric Rating Scale (24-27), Young Mania Rating Scale (28), Bipolar Depression Rating Scale (29), and Clinical Assessment Interview for Negative Symptoms (30). Analyses examining relationships to negative symptom severity used the motivation and pleasure subscale of Clinical Assessment Interview for Negative Symptoms. Analyses examining relationships to community function used the participant and informant versions of the Specific Levels of Functioning Scale (31). The groups were recruited to be as similar as possible on sex, age, race, and parental socioeconomic status, measured using the Hollingshead Index (32) as updated using occupational prestige ratings based on the 1989 general social survey (33). See the Supplement for details on exclusion criteria.

**Procedural Task**

We used the same probabilistic learning task as Gold et al. (3). Participants learned associations between eight different stimuli, a-h (natural landscapes) (Figure 1), and their associated monetary value.

For the learning phase (160 trials), participants were always presented the same pairings (ab, cd, ef, gh), in randomized order. For the transfer phase (72 trials), in addition to learned pairings, participants were shown novel pairings (e.g., ae). This allowed us to test to what extent individuals learned the specific value associated with a stimulus (e.g., a: $0.045, e: -$0.045), as opposed to simply learning the context-dependent action strategy (e.g., never choose b because b was always paired with a, and a was better).

**Computational Model**

We fit several RL models to participants’ data, varying model structure (Q-learning vs. actor-critic vs. mixed strategy) (see...
the Supplement for details). The best-fitting model was a variant of the hybrid model of Gold et al. (3), which assumed a mixed strategy in which “pure” basal ganglia–dependent learning (in the form of an actor-critic algorithm) is complemented by top-down representation of expected reward value for each choice (via Q-learning architecture). The present model included further updates to enhance fit and dissociate potential sources of variance in patient populations.

**Actor-Critic Architecture.** The actor-critic component of the model computes expected values for each state and updates them at each time step based on observed PEs.

In this architecture, the state refers to the subset of stimuli observed on a specific trial. In the learning phase, there are four possible states, one for each stimulus pair: ab (state 1), cd (state 2), ef (state 3), and gh (state 4). Each state is assigned the same initial value.

That value is updated by the critic component each time the participant observes that state, based on the reward and subsequent PE, as

$$V_{s,t+1} = V_{s,t} + \alpha_C \times PE_t$$  \hspace{1cm} (1)

where $\alpha_C$ is the critic learning rate determining how much the most recent observed outcome contributes to update the current estimate of state value (higher $\alpha_C$ translates to larger updates), and $PE_t$ is the PE computed as $PE_t = outcome_t - V_{s,t}$.

This model chooses based on actor weights $w_{s,a}$, which quantify the propensity toward an action under a specific state. There are two available actions in this scenario—choose stimulus 1 or choose stimulus 2—but their weights change depending on state (analogous, for instance, to the tendency to turn left or right depending on whether one is at one street corner or another).

When a given action leads to a positive outcome, the corresponding weight is augmented in proportion to the positive PE it generates, scaled by an actor learning rate $\alpha_A$:

$$w_{s,a,t+1} = w_{s,a,t} + \alpha_A \times PE_t$$  \hspace{1cm} (2)

Thus, the actor selects actions based only on their relative winner status in the choice context (e.g., if stimulus a loses 10 points and b loses 2 points, b is the relative winner; similarly, if c rewards 2 points and d rewards 4 points, d is the winner. b and d have similar status in this type of strategy). Winner status
is updated via reward prediction errors and not directly based on value. As per Gold et al. (3), actor weights are normalized on each trial, so their relative scale matches that of Q values (otherwise, actor weights grow without bound).

**Q-learning Architecture.** The Q-learning component learns the expected reward value of each state-action pair and chooses based on these predicted rewards. Critically, as highlighted in (3,34), this strategy allows for differentiation between rewards that were generated from truly positive outcomes (in the gain conditions) versus those that merely resulted from avoidance of negative outcomes (in the loss conditions).

Q values update with each trial, based on a prediction error scaled by a learning rate:

\[ Q_{t+1} = Q_t + \alpha Q \times (\text{outcome}_t - Q_t) \]  

Q values were initialized at zero (see the Supp[lement for details on model with nonzero initial values).

**Mixed Strategy.** Gold et al. (3) and Hernaus et al. (34) reported that performance was best described by a mixture of actor-critic and Q-learning strategies. The actor weights and the Q-learning values are mixed into a hybrid value, scaled by a mixing factor c:

\[ H_{s,a,t} = w_{s,a,t} \times (1 - c) + Q_{a,t} \times c \]  

This mixing factor is a quantitative indicator of the extent to which a participant relies on explicit value representations or simpler, PE-based computations. Higher values for c indicate a strategy more consistent with explicit representations (such as Q-learning); lower values indicate a strategy closer to action-value representations (such as actor-critic); critically, these strategies make different predictions under certain choice contexts.

In the present work, we included two additional parameters that accounted for variance independently from the relative contributions of actor-critic versus Q-learning. First, we included an irreducible-noise/epsilon parameter, \( \epsilon \), that accounts for overall response variability thought to be due to attentional lapses. This \( \epsilon \), generally part of the \( \epsilon \)-greedy choice function in RL, implements the degree to which choice is reward-maximizing versus random between all available options and can be considered a random exploration parameter (e.g., choosing among the options that are not highest-reward, with equal probability). It can also be used to capture a proportion of trials that are not well explained by the model (for instance, due to lapses in attention). That is how we use it in the present model, in which the softmax parameter captures exploration; previous work (35) has shown an \( \epsilon \)-softmax mix allows for better estimates of other model parameters when there are outlier choices.

Choice probabilities were computed via \( \epsilon \)-softmax:

\[ P_{a,t} = (1 - \epsilon) \times \text{Softmax}_{a,t} + \epsilon \times u_t \]  

where \( \text{Softmax}_{a,t} = \frac{e^{u_{t,a,t}/B}}{\sum_{a'} e^{u_{t,a',t}/B}} \), where temperature B determines how much value impacts choice probability, noise parameter \( \epsilon \) determines value-based versus random choice, and \( u_t \) is a uniform distribution across all available actions.

Second, we included a decay parameter quantifying forgetting of learned values between the training and test phases. Decayed values were adjusted as follows:

\[ Q_{\text{fin}}(\text{all}) = Q_{\text{fin}}(\text{all}) \times (1 - \delta) + Q_{\text{init}}(\text{all}) \times \delta \]  

where \( Q_{\text{fin}} \) represents the final learned values, \( Q_{\text{init}} \) the original (uniform) value priors. Thus, between training and testing, values could decay back toward the original prior, allowing more recently seen stimuli a more accurate (updated) value representation, whereas stimuli seen more trials ago get noisier representations. This has been found to better account for memory and attentional effects (36).

**Fiting Procedures and Model Comparison.** All models were fit using standard maximum likelihood procedures (see the Supplement for details on fitting procedure implementation and model comparison details).

**Data Analysis**

We analyzed accuracy data (defined as choosing the more rewarding stimulus) from training and test phases. Participants were split into groups based on clinical diagnosis and medication status (HCs, BI, medicated SZ [SZON], and unmedicated SZ [SZOFF]), and task conditions were defined as gains (all stimuli associated with positive monetary rewards) or losses (all stimuli associated with monetary loss). Analyses of variance (ANOVA)s were conducted using SPSS Statistics (version 25; IBM Corp., Armonk, NY). Post hoc tests were conducted using Tukey’s honestly significant difference test.

**RESULTS**

There were 72 HCs, 60 individuals with BI with psychosis, 120 with SZ/schizoaffective disorder who were taking antipsychotic medications (SZON), and 44 with SZ/schizoaffective disorder who had not taken antipsychotic medications for at least 1 month (SZOFF). Demographics and clinical characteristics for each group are presented in Table S1.

**Learning**

All participants learned to perform above chance (Figure 2), with a significant main effect of time on accuracy (moving time window of 20 trials [8] × group [4] × condition [4] mixed ANOVA; Hyunh-Feldt correction to account for sphericity violation; F(5.1,199.5) = 117.86, p < .001).

Although it is possible that some participants in all groups were still learning (see the Supplement for details on late-stage learning), the HCs reached higher accuracies on average by the end of training than all patients groups (F(3,279) = 7.87, p < .001); no significant interaction between time step and group was observed (F(33,3069) = 1.16, p = .238).

**Test Phase**

The test phase presented participants with both old pairings from the learning phase and novel stimulus pairings, requiring representation of absolute (not just relative, state-dependent)
stimulus value to make a correct choice. As previously found (3), the novel pairing, which required value comparison between the two best stimuli in different gains/losses conditions (i.e., frequent winner [FW] associated with high chance of reward, vs. frequent loss avoider [FLA] associated with high chance of loss avoidance), proved more difficult than within-domain pairings (FW vs. infrequent winner [IW]) or the cross-domain FW versus frequent loser (FL) pairing.

We compared the FW-FLA condition with both FW-FL and FW-IW. Mixed group (4) by condition (2) ANOVA on average domain FW versus frequent loser (FL) pairing.

We also observed differences on the learned (old) pairings, with a significant main effect of group (condition [2] by group [4] repeated measures ANOVA, $F_{1,293} = 6084.43$, $p < .001$, with Tukey’s test revealing that HCs had significantly higher accuracy than all patient groups ($M_{HC-FLA} = 0.0798$, $p = .018$; $M_{HC-SZOFF} = 0.1241$, $p < .01$). No significant main effect of condition ($F_{3,287} = 0.451$, $p = .502$) and no interaction was observed ($F_{3,287} = 1.745$, $p = .158$) (Figure 4).

Model Fits

Figure 5A shows parameter fits. As previously found by Gold et al. (3), the mixing coefficient differs significantly by group (one-way ANOVA, $F_{3,295} = 13.91$, $p < .001$), with post hoc tests showing that HCs have significantly higher coefficients ($M_{HC} = 0.689$, $SD_{HC} = 0.22$) than SZON ($M_{SZON} = 0.478$, $SD_{SZON} = 0.21$, $p < .001$) and SZOFF ($M_{SZOFF} = 0.55$, $SD_{HC} = 0.23$, $p = .013$) groups. The bipolar group did not differ significantly from either SZ or HC.

The irreducible-noise parameter $\epsilon$ also showed a significant main effect of group (Figure 5A) ($F_{3,295} = 2.67$, $p = .04$), with HCs significantly less noisy than the SZOFF group ($M_{HC} = 0.043$, $SD_{HC} = 0.16$, $M_{SZOFF} = 0.159$, $SD_{SZOFF} = 0.29$, $p = .03$). The decay parameter coding forgetting between training and test differed significantly between the two SZ groups and the two others groups ($F_{1,289} = 12.81$, $p < .001$), with higher decay rates in the SZ groups.

The softmax temperature parameter showed no significant effect of group; however, the recovery for this was less reliable than for the others (Supplement) (Figure 3), potentially because of collinearity between this parameter and others involved in
the value function scaled by the softmax temperature (37) (see the Supplement for details of how temperature covaries with other parameters).

**Test Phase**

Model simulations showed that our model accurately captured behavior (Figure 3B), including the main effect of condition on accuracy between FW-FLA and the easier FW-IW and FW-FL conditions. This difference in accuracy between conditions was correlated with the mixing parameter (Figure 3C) \( r^2 = 0.45, p = 0.039 \) but not with the random noise parameter (Figure 3D) \( r^2 = 0.1, p = 0.088 \). The difference was not correlated with any other parameters.

**Using Computational Modeling to Improve Classification**

The utility of a model in computational psychiatry can be quantified by the degree to which key model parameters are diagnostic of clinical status with greater reliability than could be achieved from model-free performance measures. Highly accurate model-based classification can improve diagnosis, and knowing which parameters aid classification can shed light on underlying mechanisms in a way that raw-data measures cannot (9).

We set up classifiers to predict group identity (HC, BI, SZOFF/SZON/OFF) based on either accuracy (a model-agnostic quantity) or fit model parameters. Classifiers were trained on four quantiles of data and tested on the remaining quantile (leave-one-out cross-validation); this process was iterated until all data had been used for testing, and the classifier accuracy measures were averaged.

We used precision-recall curves to quantify classifier performance. Precision (positive predictive value) refers to a classifier’s ability to correctly predict positive cases and avoid false positives. Recall (sensitivity) refers to the ability to predict true positives and not miss negatives. Precision-recall evaluates predictive success similarly to receiver operating characteristic curves but is more suitable for imbalanced class sets (17).

We trained model-based classifiers using all parameters as well as the most predictive parameters for group differences.
Computational Modeling of SZ-Specific Learning Deficits

The mix and noise described above). Model-agnostic classifiers used measures of accuracy across training and testing, including the most predictive ones for group differences (overall accuracy in training and testing, accuracy in the FW-FLA condition) as well as overall training/testing accuracies in early learning (first quarter) or late learning (fourth quarter).

Figure 6 shows classifiers predicting SZON versus HC, SZON versus BI, and SZON versus SZOFF. As expected, all methods (model-agnostic and model-based) performed best when classifying HCs from patients with SZ and were less effective classifying between patient groups. The model-agnostic, accuracy-based classifiers were most effective when including only late-stage learning, but they generally underperformed compared with the model-based classifiers (Figure 6B, D, F).

In the HC versus SZON case (Figure 6A, B), the best prediction was obtained using the hybrid mix and noise parameters to train the classifier; however, all model-based classifiers outperformed accuracy-based classification. Classification for BI versus SZON groups was not as accurate as HC versus SZON (Figure 6C, D) \( (M_{\text{AUC}_{\text{HCVSZON}}} = 0.776, SD_{\text{AUC}_{\text{HCVSZON}}} = 0.148, M_{\text{AUC}_{\text{BIVSZON}}} = 0.642, SD_{\text{AUC}_{\text{BIVSZON}}} = 0.12) \); however, both model-based and accuracy-based classifiers performed significantly better than chance, and using model parameters still improved classification over using only model-free measures \( (t_{r} = 4.23, p < .001) \).

The model-agnostic classifier mixing fourth-quarter learning across phases with FW-FLA accuracy performed close to the best model-based classifier in the HC versus SZON case (Figure 6B) \( (M_{\text{Mix + noise}} = 0.776, SD_{\text{Mix + noise}} = 0.148, M_{\text{Acc4qmix}} = 0.728, SD_{\text{Acc4qmix}} = 0.119) \). However, when classifying between patient groups, the best-performing model-based classifier was significantly better than the best-performing model-agnostic classifier \( (t_{\text{BSVSZ}} = 3.0157, p = .012, t_{\text{SZONOFF}} = 3.242, p = .011) \).

Lastly, we examined whether parameters related to deficits in anhedonia/amotivation in patients. Higher decay was correlated with greater anhedonia/amotivation across all patients \( (r = 0.20, p = .003) \), with a similar association within the patients with SZ \( (r = 0.18, p = .027) \), though not within patients with BI \( (r = 0.10, p = .44) \). A lower mixing parameter was trend-level associated with greater anhedonia/amotivation among all patients \( (r = -0.13, p = .06) \), but not within the SZ or BI groups individually \( (r_{\text{SZ}} = -0.10, p = .21, r_{\text{BI}} = -0.003, p = .98) \). See the Supplement for positive symptom analyses.

DISCUSSION

Our study replicates and extends previous work showing specific differences in RL in patients with SZ compared with controls and patients with BI. In line with Gold et al. (3), we
found that a mixed strategy of BG-driven PE updating and OFC-driven explicit value representation best fitted choice data in the probabilistic selection task. SZON and SZOFF groups showed significantly lower mix parameters compared with HC and BI groups (Figure 5A), indicating a maladaptive overreliance on PE-updating to the detriment of using value representations. This was confirmed by significantly lower accuracies in the test phase, when choosing stimuli associated with common positive outcomes (FW) over those associated with rare negative outcomes (FLA).

These findings provide an important replication of evidence for impairments in explicit value representation in SZ and significantly extend previous work to show that this holds true for both medicated and unmedicated patients with SZ but not for those with bipolar disorder. This suggests this pattern is not secondary to medication effects and provides initial evidence for specificity to nonaffective psychosis.

Two more parameters in our mixed model showed a significant group difference. The noise parameter, coding for non-exploration-directed response variability and thought to correspond to either internal neural variability (39) or perhaps suboptimal inference by the brain (39), was higher in both medicated and unmedicated patients with SZ than in controls. Random decision noise has been proposed to correspond to tonic levels of norepinephrine (40); although there is no clear link yet established, our findings are consistent with recent theories suggesting a link between overactive noradrenergic pathways and cortical dopamine dysregulation, leading to SZ-like behaviors (especially in the positive symptom domain—e.g., psychosis) (41–43).

Together with the correlations with anhedonia/amotivation, these mix parameter and noise results imply a maladaptive overreliance on BG-driven PE-based updating, with insufficient frontal contributions coding explicit value representation. This is consistent with accounts that link frontostrriatal abnormalities and motivational deficits in SZ (44), suggesting altered involvement of ventral striatum and frontal areas (including ventromedial prefrontal cortex and OFC) in signaling the expected value of observed stimuli in gain and loss domains. We did not, however, find consistent gain/loss differences across SZ groups (potentially because of medication effects: Figure 4 shows a reversed trend in accuracy in gains vs. losses, depending on medication status), and the learning performance (including model-based learning rates) did not offer clear evidence for impaired striatal contributions. Rather, gradual PE-based learning appeared relatively spared, although asymptotic learning, as has been reported previously (45), was more likely impaired; however, as discussed in Results and the Supplement, it is possible that some subjects did not reach asymptote, making it difficult to interpret this finding. This fits the reported mixed evidence regarding striatal learning in SZ and aligns our current results with the theory that striatally mediated RL mechanisms may be spared, while cortically mediated, more rapid, and explicit learning systems are impaired (46).

The other parameter found to vary between participants without SZ (including BI) and those with SZ was the between-phase decay on learned values. Both SZON and SZOFF groups showed significantly higher decay than the BI and control groups, indicating perhaps a deficit in working memory necessary for carrying over learned values from training to test phase. Previous work has found impairments in working memory contributions to learning in SZ (47,48), but results are mixed on the retention of information, with some studies finding intact retention from learning to test phase but impaired generalization to novel contexts (49). Our participants with SZ were less accurate than controls on both old and novel pairings in the test phase (Figure 4A), suggesting that the deficit

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**Figure 5.** Model parameters across groups (A–E) and model checks (F–I). (A) Hybrid mix parameter (determining the reliance on Q-learning strategy vs. actor-critic strategy) is highest in healthy control (HC) group and lowest in medicated schizophrenia (SZON) group. A value higher than 0.5 means higher reliance on Q-learning. Also shown are softmax temperature beta (B), noise parameter (D), memory decay (C), and initial Q values (E). (F–I) Model (blue lines) captures learning behavior in all four participant groups; shown here is training phase; parameters used to simulate model behavior are fit group parameters. BI, bipolar disorder; Parm, parameter; SZOFF, unmedicated schizophrenia.
does not lie solely in the generalization to novel contingencies that require explicit value representation but is likely compounded by other effects, such as memory decay (Figure 4B).

Model parameter fits suggest that this effect is likely a mix of impaired between-phase generalization and within-phase memory decay, as accuracy on the old pairings in the test phase correlated with both the decay and the mix parameter. However, our task was not designed to test working memory, and from the current structure, it is difficult to discern to what extent the difference in accuracy on old pairings is due to memory effects or deficits in value representation; furthermore, the decay was implemented in the winning model as occurring between the training and testing phase, and thus it precludes any conclusions on within-phase memory decay.

Although learning rate differences have been found in the literature (50,51), we saw no group differences here in model-based learning rates. There was also no significant difference in the softmax temperature quantifying sensitivity to value.

Figure 6. Classification results for model-based vs. model-agnostic (accuracy-based) classifiers. (A, B) Classifying healthy control subjects (HC) from medicated patients with schizophrenia (SZON). (C, D) Classifying patients with bipolar disorder (BI) vs. SZON. (E, F) Classifying unmedicated patients with schizophrenia (SZOFF) and SZON. (Left panels) Precision-recall curves for the best classifier in each group. (Right panels) Areas under the curve for the top three performing classifiers in each group. Red bars represent model-agnostic classifiers and black bars represent model-based classifiers. Parms, parameters.
differences (although a trend existed, showing marginally lower softmax temperatures for SZ groups than for HC and BI), strengthening our hypothesis that learning deficits in SZ are more likely to stem from differences in value representation (and possibly generalization) than from different reward sensitivity.

The behavioral and computational results in the SZON and SZOFF groups hint at potentially distinct effects of medication on different aspects of learning. Although the overall accuracies did not differ [there is a trend toward higher accuracies in the unmedicated patients, consistent with previous findings on the effects of antipsychotics on gradual learning (21), but it is not significant], we did observe lower learning in the loss domain in medicated patients (Figure 4B). This was only significant in the test phase (although the same pattern is visible in the learning phase; in Figure 3B, the contrast is not significant). This effect could be due to a differential impact of medication on the underlying RL mechanism [for instance, antipsychotic medication has been found to increase sensitivity to losses but not gains, promoting maladaptively high negative learning rates and lose-shift strategies (52)] or on different encoding of gains and losses contingencies into long-term memory.

Our present study does not allow us to differentiate the source of this finding, as pairwise contrasts in model parameters were not different between the two groups (Figure 5A). However, examining trending differences suggests a higher reliance on Q-learning in the unmedicated group (as evidenced by higher mixing parameter and higher Q-learning rate) along with higher decision noise (via the noise parameter and lower temperature parameters). However, because of the imbalanced group sizes and other potential comorbidities in the unmedicated group, further work would be required to accurately specify the effect of different types of antipsychotic medication on Q-learning rate and value-based RL strategies.

Finding that model-based classification outperformed model-free (in this case, accuracy-based) classification (Figure 6) is a promising step toward improved diagnosis and treatment. Often, the similarity in behavior performance measures—encountered in other cognitive tasks as well (6,7)—and the overlap in clinical symptoms between patients with BI and those with SZ (6,51) make diagnosis difficult and may play a role in the cases in which treatment is ineffective. The leading assessment measures (21) indicate that timeline and frequency of positive and negative symptoms also be taken into account (e.g., in the case of a patient presenting with symptoms of psychosis and mania, the initial classification may be schizoaffective disorder; if the psychosis symptoms disappear with time, the diagnosis may be reclassified as BI, while conversely, if mania symptoms disappear and psychosis becomes chronic, it is reclassified as SZ), leading to potential delay in accurate diagnosis.

In the present work, we classified using both model-agnostic, accuracy-based behavioral measures and model-based parameters and found that using parameters improved classification both between HCs and patients, and more importantly, between patients with BI and those with SZ. This result strengthens the existing evidence that computational methods may provide crucial insight into clinical practice (8,3,48).

The difference in performance between the best-performing accuracy-based classifier and the best-performing model-based classifier varied among the three group comparisons, with the lowest difference in the HC versus SZON comparison. This, along with the fact that the mixed, late-stage learning accuracy classifier performed similarly to the model-based classifier for HCs versus SZON (Figure 6B), suggests that the advantage of model-based classifiers is highest when behavioral or neuropsychological measures might not be sufficient for diagnosis, such as in the case of psychiatric disorders with overlapping symptoms (such as BI and SZ). This is consistent with previous findings in the literature on the utility of summary measures of overall intelligence and cognition in classifying patients from HCs (26) but the limited utility of these measures in the case of mixed patient groups (27).

The fact that combining three different measures of accuracy was required to come close to the performance of model-based classifiers is consistent with our rationale for using modeling—which is to access and quantify underlying cognitive processes that are difficult to extract from behavioral data alone. In the present case, using one single model parameter (the mix parameter) matched or outperformed a classifier using three carefully selected model-free measures. Thus, theoretically, model-agnostic classifiers could come even closer to model-based ones, if we extracted and processed the data further and found other quantities that approximate underlying learning strategies (for instance, by further narrowing the trial types used to compute accuracy, or adding in further predictors such as time since that trial type was encountered). The difficulty lies in determining precisely which types of measures would be best fit for this—a difficulty resolved with computational modeling, which extracts quantities of interest in a straightforward, normative way.

Finally, although these results stand as proof of concept for the utility of employing computational modeling, under the current framework, our model cannot prospectively predict diagnosis or dictate treatment; further work is required to build on this, toward more compelling applications. We hope that, particularly given the breadth of relatively easy-to-administer cognitive tasks available, using computational modeling to better pin down task strategies and their underlying mechanisms could be an accessible tool to assist psychiatric diagnosis and treatment.

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Computational Modeling of SZ-Specific Learning Deficits

ARTICLE INFORMATION

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